

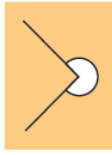

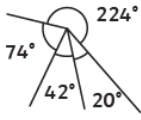
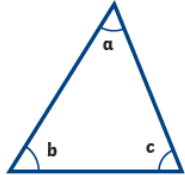
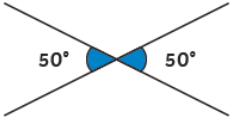
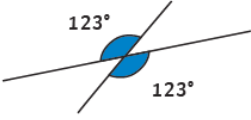
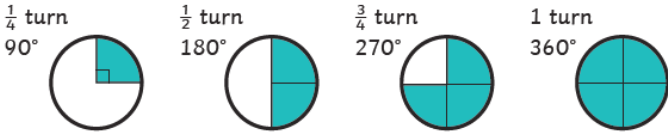
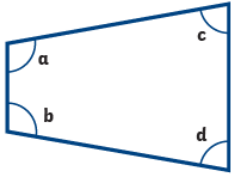


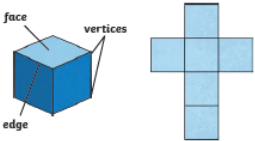











# In maths we are learning about...

| Properties of Shapes  | Knowledge Organiser  |  |   |
|---|--|--|---|
| <b>Key Vocabulary</b><br>angle<br>right angle<br>acute<br>obtuse<br>reflex<br>protractor<br>horizontal<br>vertical<br>parallel<br>perpendicular<br>polygon<br>regular<br>irregular<br>two-dimensional<br>three-dimensional<br>flat face<br>curved surface<br>edge<br>curved edge<br>vertex<br>vertices<br>apex<br>radius<br>diameter<br>circumference | <b>Angle Types</b>   |  |   |
|   |  <b>Acute Angles</b><br>Any angle that measures less than 90° is called an <b>acute angle</b> . |  <b>Obtuse Angles</b><br>Any angle that measures greater than 90° and less than 180° is called an <b>obtuse angle</b> . |  <b>Reflex Angles</b><br>Any angle that measures greater than 180° is called a <b>reflex angle</b> . |
|   | <b>Calculating Angles</b>  |  | <b>Angles in a Triangle</b>   |
|   |  <b>Angles on a straight line always total 180°.</b>  |  <b>Angles around a point always total 360°.</b>   |  $a + b + c = 180^\circ$   |
|   |  <b>Opposite angles that share a vertex are equal.</b>  |    | <b>Angles in a Quadrilateral</b>  |
|  <b>Multiples of 90° can be used as descriptions of a turn.</b>  |  $a + b + c + d = 360^\circ$   |  |   |

| Properties of Shapes  | Knowledge Organiser  |  |   |
|---|--|--|---|
| <b>Using a Protractor</b>   | <b>Angles in Regular Polygons</b>  |  |   |
| Place the cross or circle at the point of the angle you are measuring.<br>Read from the zero on the outer scale of your protractor.<br>Count the degree lines carefully.  | As the number of sides of a polygon increases by one, the total of the interior angles increases by 180°. When $n$ = number of sides, this formula can be used to find the size of each angle in a <b>regular polygon</b> :  |  |   |
| <b>Parts of Circles</b>   | <b>Sum of Interior Angles = <math>(n - 2) \times 180^\circ</math></b>  | <b>Each Angle = <math>\frac{(n - 2) \times 180^\circ}{n}</math></b>  |   |
|   | A circle is a 2D shape. The perimeter of a circle is called the <b>circumference</b> ( $c$ ). The distance across the circle, passing through the centre, is called the <b>diameter</b> ( $d$ ).<br><br>The distance from the centre of the circle to the circumference is called the <b>radius</b> ( $r$ ).<br><br>$r \times 2 = d$ $\frac{d}{2} = r$ |  <b>Pentagon</b><br>$n = 5$<br>$(5 - 2) \times 180^\circ = 540^\circ$<br>$540^\circ \div 5 = 108^\circ$ |  <b>Hexagon</b><br>$n = 6$<br>$(6 - 2) \times 180^\circ = 720^\circ$<br>$720^\circ \div 6 = 120^\circ$ |
| <b>Nets of 3D Shapes</b>  | <b>Properties of 3D Shapes</b>   |  |   |
|  A shape net shows which 2D shapes can be folded and joined to make a 3D shape. When you are drawing a net, or solving a problem involving a shape net, think carefully about where the edges of the faces meet. | 3D shapes have three dimensions – <b>length, width and depth</b> .<br>A <b>polyhedron</b> is a 3D shape with flat faces. Spheres, cylinders and cones are not polyhedrons as they have curved surfaces.  |  |   |
|   | <b>Cube</b><br> 6 square faces<br>12 edges<br>8 vertices  | <b>Tetrahedron</b><br> 4 triangular faces<br>6 edges<br>4 vertices                                     | <b>Sphere</b><br> 1 curved surface<br>0 edges<br>0 vertices  |
|   | <b>Cuboid</b><br> 6 faces<br>12 edges<br>8 vertices   | <b>Octahedron</b><br> 8 faces<br>12 edges<br>6 vertices  | <b>Triangular prism</b><br> 5 faces<br>9 edges<br>6 vertices   |
|   | <b>Square-based pyramid</b><br> 5 faces<br>8 edges<br>5 vertices  | <b>Cone</b><br> 1 circular face<br>1 curved surface<br>1 curved edge<br>1 apex                         | <b>Cylinder</b><br> 2 circular faces<br>1 curved surface<br>2 curved edges<br>0 vertices               |